

# *Proton dE/dx resolutions*

Rajendran Raja  
Fermilab

- Some analytic points
- 1)It is best to analyze in slices of data in which the variation of the predicted dE/dx for protons is minimal. This means- avoid slices in dE/dx but use slices in momentum.
- 2)The measured variance of the dE/dx is then defined (assuming no bias in prediction) as

$$\sigma_f^{measured} = \sqrt{\langle (f - f^{predicted})^2 \rangle}$$

$$f \equiv \frac{dE}{dx}$$

## *Proton $dE/dx$ resolutions*

However, the predicted value for  $f$  is at a certain momentum which has an error. So in reality,

$$\sigma_f^{measured} = \sqrt{\sigma_{true}^2 + \left( \frac{df_{pred}}{dp} \right)^2 \sigma_p^2}$$

One needs to evaluate the true  $\sigma$  to see if it scales appropriately.

However, when one uses the sigma to calculate the likelihood, one needs to use the measured quantity, since the momentum error is present in the predicted width..